

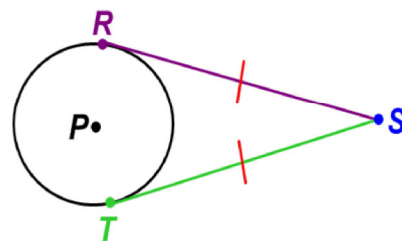
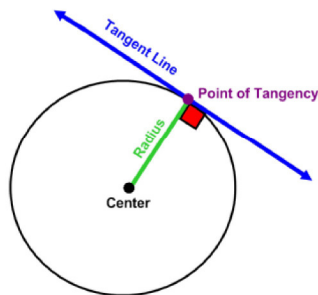
## 9.1 Tangent Properties

- I can determine and apply the relationship between a radius and a tangent line at the point of tangency.
- I can determine and apply the relationship between two tangent segments with a common endpoint outside the circle.

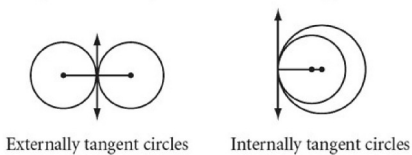
Recall from yesterday:

**Tangent Conjecture:** A tangent to a circle is perpendicular to the radius drawn to the point of tangency.

**Tangent Segments Conjecture:** Tangent segments to a circle from a point outside the circle are congruent.

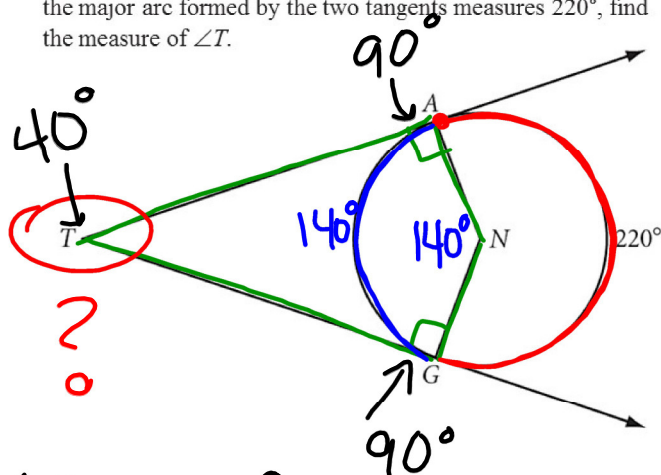


Tangent circles are two circles that are tangent to the same line at the same point. They can be **internally tangent** or **externally tangent**, as shown. What conjectures can you make about tangent circles? You will explore more about them in the exercise set.



**EXAMPLE**

In the figure at right,  $\overline{TA}$  and  $\overline{TG}$  are both tangent to circle  $N$ . If the major arc formed by the two tangents measures  $220^\circ$ , find the measure of  $\angle T$ .

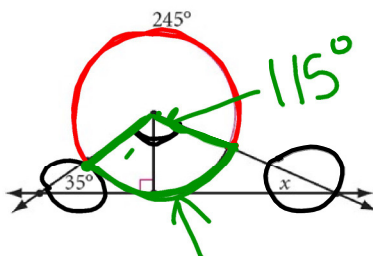


$$m\angle T = 40^\circ$$

$$360 - 90 - 90 - 140$$

Extra Example

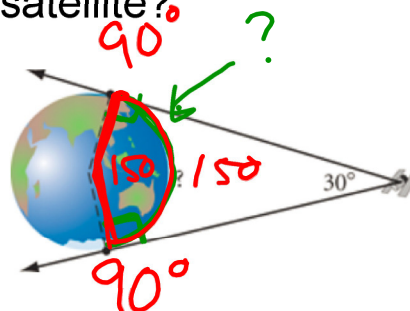
Find  $x$ .



$$115^\circ \quad 180 - 115 - 35$$

$$x = 30^\circ$$

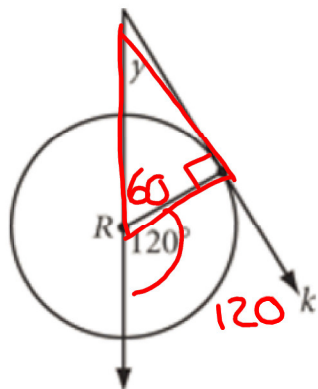
A satellite in geostationary orbit remains above the same point on Earth's surface even as Earth turns. If such a satellite has a  $30^\circ$  view of the equator, what percentage of the equator is observable from the satellite?



$$\frac{150}{360} = 41.7\%$$

$$360 - 90 - 90 - 30 = 150^\circ$$

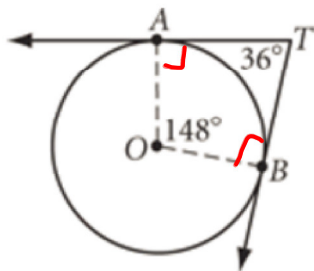
4. Ray  $k$  is tangent to circle  $R$ . Find  $y$ .



$$y = 180 - 60 - 90$$

$$y = 30^\circ$$

5.  $\vec{TA}$  and  $\vec{TB}$  are tangent to circle  $O$ . What's wrong with this picture?



The interior angles of the quad add to  $364^\circ$ . Should add to  $360^\circ$