

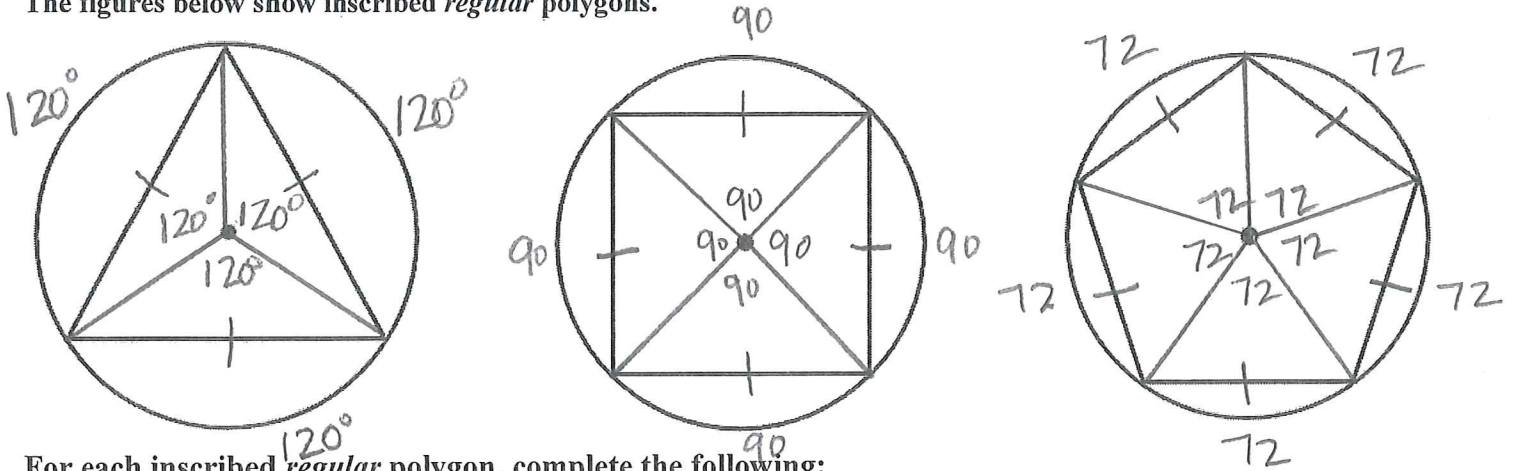
9.2 Chord Properties Day 2 Notes

Name: Key

Learning Targets

- I can determine and apply the relationship between congruent chords and their central angles and intercepted arcs.

The figures below show inscribed *regular* polygons.



For each inscribed *regular* polygon, complete the following:

The polygon sides are congruent. Add markings on your figures to reflect this.

The sides of the polygons are also called chords of the circle.

- Draw radii from the center of the circle to each vertex.
- Label the central angles with their measurements in degrees.
- Label the intercepted arcs with their measurements in degrees.

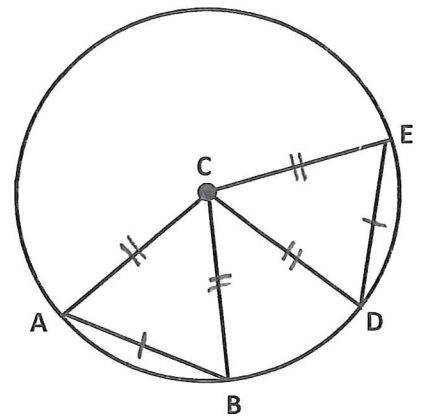
The chords are congruent when their central angles or minor arcs are congruent.

Developing a Proof

We have seen that the measurements of minor arcs are equal to their central angle measurements.

Given: Circle C with $\overline{AB} \cong \overline{DE}$

Prove: $\angle ACB \cong \angle DCE$



Circle C with
 $\overline{AB} \cong \overline{DE}$
Given

$\overline{CA} \cong \overline{CB}$
Radius Definition

$\overline{CD} \cong \overline{CE}$
Radius Definition

$\triangle ACB \cong \triangle DCE$
SSS

$\angle ACB \cong \angle DCE$
CPCTC

Chord Central Angles Conjecture

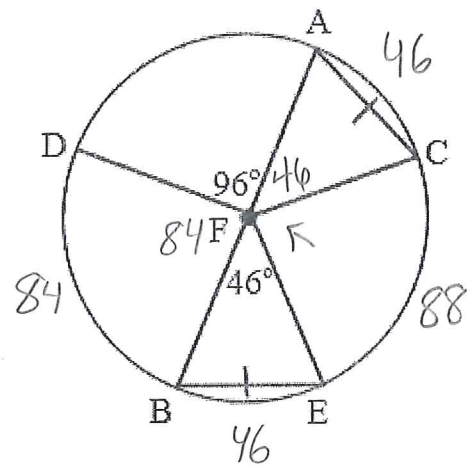
If two chords of a circle are Congruent, then they determine two Central angles which are congruent.

Chord Arcs Conjecture

If two chords of a circle are Congruent, then their intersecting arcs are congruent.

Use Circle F to answer questions #1 - #6. Assume \overline{AB} is a diameter.

- $m\widehat{BE} = \underline{46^\circ}$
- $m\widehat{AC} = \underline{46^\circ}$
- $m\angle CFE = \underline{88^\circ}$
- $m\angle DFB = \underline{84^\circ}$
- $m\widehat{DEC} = \underline{218^\circ}$
- $m\widehat{DAE} = \underline{230^\circ}$



For problems #7- #10, use the figure to find the missing information.

7. $360 = 7x + 7x + 4x$
 $\frac{360}{18} = \frac{18x}{18}$
 $x = \underline{20}$
 $m\widehat{TVU} = \underline{220^\circ}$
 $m\widehat{TUV} = \underline{280^\circ}$

8. $40 = 2x + 10$
 $-10 \quad -10$
 $30 = 2x$
 $x = \underline{15}$
 $m\widehat{ZU} = \underline{140^\circ}$
 $m\widehat{TUY} = \underline{230^\circ}$

9. $180 = \frac{3y}{3} + \frac{3y}{3}$
 $x = \underline{10^\circ}$
 $y = \underline{60^\circ}$

10. $360 = 95 + 2x + 165$
 $2x = 100$
 $x = 50$
 $\overline{EA} \cong \overline{BC}$
 $m\widehat{DCA} = \underline{215^\circ}$